



Introduction to corporate bond portfolio management

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Summary of presentation

- Corporate bonds as an asset class
- The case for diversifying into corporate bonds
- Differences between managing corporate and government bonds
- Quantifying market risk in a corporate bond portfolio



Corporate bonds as an asset class

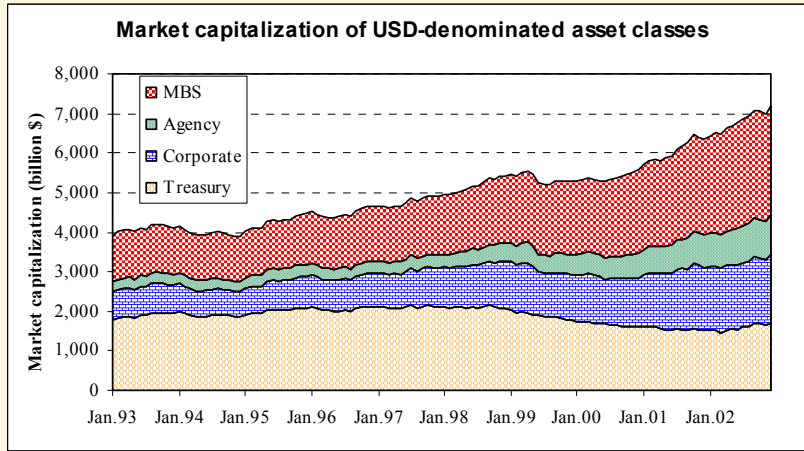
- Corporate bonds are debt obligations issued by corporations to finance their business activities
- Corporate bonds are broadly classified into investment and non-investment grade
- Some corporate bonds have collateral attached to them
- Bonds with collateral are called secured bonds
- Most corporate bonds issued by corporations are debentures
- A debenture is an unsecured debt obligation backed by the issuer's general credit and capacity of its cash flow to repay debt



Market capitalization of asset classes (February 2003)

| Description | Number of issues | Market cap (USD billion) |
|------------------------|------------------|--------------------------|
| Multiverse | 11,360 | 17,907 |
| Government | 2,212 | 9,868 |
| Treasuries | 804 | 8,088 |
| Agencies | 1,408 | 1,780 |
| Corporate | 5,645 | 3,410 |
| Industrial | 3,704 | 1,645 |
| Utility | 755 | 385 |
| Financial Institutions | 1,816 | 1,379 |
| Non-corporate | 937 | 996 |
| Sovereign | 423 | 419 |
| Supranational | 234 | 301 |
| Others | 280 | 275 |
| Securitized | 2,567 | 3,632 |
| Mortgages | 2,401 | 3,531 |
| Asset Backed | 166 | 101 |

Source: Lehman Brothers global family of indices



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Historical performance (Jan 1973 – Jan 2003)

| Description | UST | COR |
|--|--------|--------|
| Annualized return | 8.91% | 9.01% |
| Annualized volatility | 5.51% | 7.58% |
| Sharpe ratio | 0.214 | 0.169 |
| Probability that annual return is positive | 94.50% | 85.90% |
| Conditional expected return if positive | 9.83% | 11.75% |
| Probability that annual return in negative | 5.50% | 14.10% |
| Conditional expected return if negative | -2.24% | -4.56% |



Historical performance (Jan 1975 – Jan 2000)

| Description | UST | COR |
|--|--------|--------|
| Annualized return | 9.02% | 9.83% |
| Annualized volatility | 5.69% | 7.77% |
| Sharpe ratio | 0.098 | 0.176 |
| Probability that annual return is positive | 93.75% | 87.50% |
| Conditional expected return if positive | 10.27% | 12.41% |
| Probability that annual return is negative | 6.25 % | 12.50% |
| Conditional expected return if negative | -2.21% | -4.31% |



The case for corporate bonds

- Changing objectives for reserves management
- Desire to hold larger reserves increases cost
- Return on reserves given greater emphasis to reduce this cost
- This leads to choice of instruments that have higher yields
- Among fixed income asset classes, corporate bonds offer scope for yield enhancement over government bonds
- In USD, investment grade corporate bonds have greater market capitalisation than US Treasuries (1,900 bn versus 1,770 bn)
- Provides some diversification benefit (correlation of total returns versus Treasuries is 0.90)
- Cash flows are more standard (unlike the case for MBS)



The case for corporate bonds

- Performance comparison of single-A or better rated corporates versus Treasuries on a duration-neutral basis

| Performance of 1-5 year sector duration-neutral portfolios (Jan 1999 to Jan 2003) | | | |
|--|---------------|-----------------------|-------------------------|
| Description | Annual return | Annualized volatility | Market capitalization |
| Corporates A-minus or better | 7.77% | 2.45% | \$ 410 bn ^{a)} |
| US Treasuries | 6.86% | 2.83% | \$ 840 bn ^{a)} |

a) Market capitalization as of January 2003



The case for corporate bonds

- Benchmark characteristics of different credit sub-indices (as of June 2003)

| Index | # issues | Duration | Spread | Market cap |
|--------------------|------------|-------------|---------------|-----------------|
| USD corporates | 3,644 | 6.09 | 134 bp | \$ 1,903 bn |
| 1-3 year sector | 777 | 1.97 | 77 bp | \$ 465 bn |
| 1-5 year sector | 1,541 | 2.74 | 89 bp | \$ 910 bn |
| A-rated corporates | 1,537 | 5.92 | 121 bp | \$ 833 bn |
| JACI | 103 | 5.20 | 170 bp | \$ 76 bn |



Instrument composition of US dollar reserves at end-March 2000

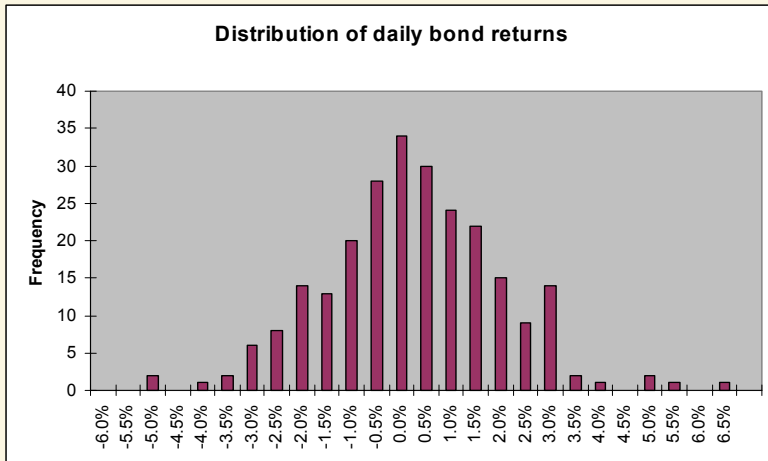
In billions of US dollars

| | Short-term | Long-term | Total |
|---|------------|------------|--------------------|
| Treasury securities | 165 | 492 | 657 (58%) |
| Other assets | 262 | 211 | 565 (42%) |
| Deposits in the US | 32 | | |
| Money market paper in the US | 104 | | |
| Offshore deposits | 126 | 12 | |
| Agency securities | | 91 | |
| Corporate bonds | | 12 | |
| Equity | | 96 | |
| Total | 427 | 703 | 1130 (100%) |
| <i>Memorandum items: Share of Treasury securities in assets of the given maturity</i> | 39% | 70% | |
| <i>Total estimated US dollar reserves at end-1999</i> | | | 1359 |

Source: Robert McCauley and Ben Fung, "Choosing instruments in managing dollar foreign exchange reserves", *BIS Quarterly Review*, Table 1, p. 41, March 2003.

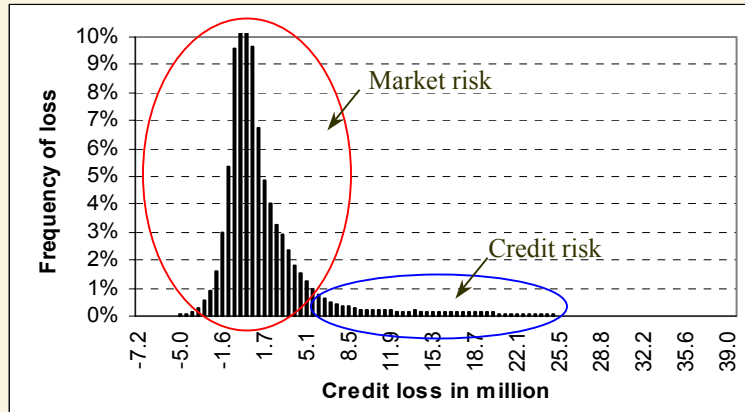


Distribution of daily bond returns

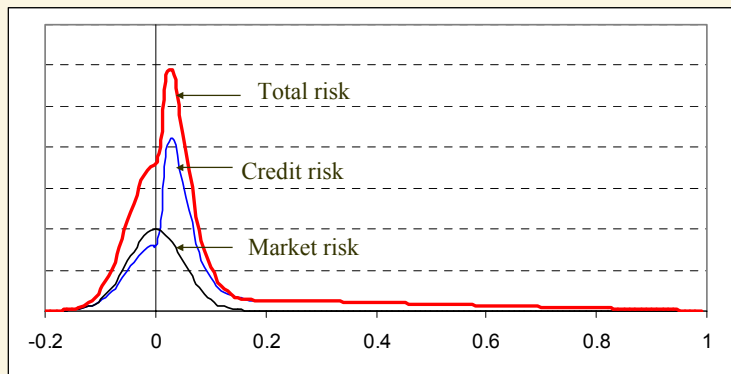




Typical loss distribution for corporate bonds



Decomposing returns into market and credit risk





Approach taken for risk measurement

- To measure the market risk and credit risk components for a corporate bond separately
- This allows us to keep the complexity of risk measurement manageable, and further, improves our ability to identify the sources of risk
- As a consequence, it also facilitates the development of quantitative tools for portfolio management
- Finally, it allows us to focus on the major source of risk in a corporate bond portfolio, which is credit risk, and to manage it prudently

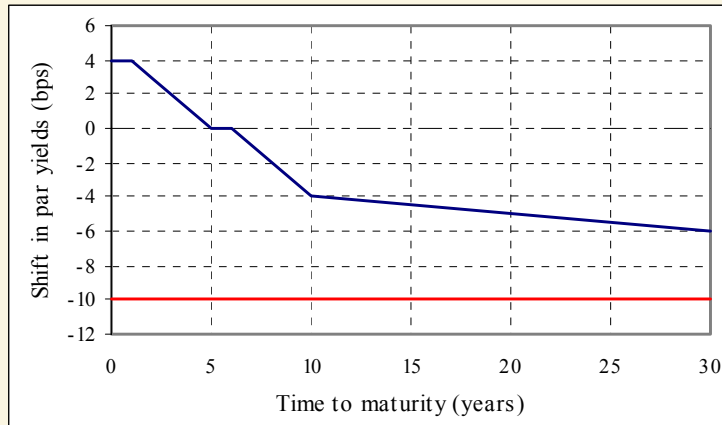


Quantifying market risk

- Dealers quote corporate bond yields at a spread to swap curve
- Changes to the interest rate swap curve can be regarded as one component of market risk that corporate bonds are exposed to
- Other components of market risk in a corporate bond portfolio include exchange rate risk and risk from changes to the implied yield volatility that affects prices of callable/puttable bonds
- Changes to swap curve can be modelled using 2 or 3 risk factors
- Important factors are level shift, twist and curvature
- Principal component analysis can provide optimal direction vectors for shape changes of the swap (or yield) curve
- Any other direction vector can be also used



Yield curve risk factors



Modelling yield curve risk factors

- Denote swap rates at time t as $y_i(t)$ where i refers to maturity of the swap rate
- Changes to swap rates (equivalently, yield changes) can be represented as

$$\Delta y_i(t) = y_i(t) - y_i(t-1), \quad i = 1, 2, \dots, n$$

- In terms of the shift and twist risk factors used to model yield curve shape changes, the yield changes can be represented as

$$\Delta y_i(t) = a_i \Delta s + b_i \Delta t_i + e_i(t), \quad i = 1, 2, \dots, n$$

- The shift and twist risk factors can be estimated by minimising the sum of squared residuals $e_i(t)$



Market risk model

- Foreign exchange risk is modelled as the factor sensitivity to a 1% appreciation of the foreign currency
- The coefficient associated with this risk factor is

$$c_t^k = 100 \times \frac{x_t^k - x_{t-1}^k}{x_{t-1}^k}$$

- One can construct a vector series of risk factor coefficients using weekly data and denote it $\{\vec{\phi}(t)\} = \{[a_t^{us} \ b_t^{us} \ a_t^{eu} \ b_t^{eu} \ c_t \ v_t]\}$
- The risk model for measuring exposures to market risk factors is the covariance matrix $\Sigma = [\sigma_{ij}]$ where σ_{ij} denotes covariance between i th and j th time series components



Computing tracking error

- Knowing the sensitivity to different risk factors will allow us to compute the tracking error resulting from market risk factors
- The basis points sensitivity of the portfolio to the k th risk factor modelled is given by

$$S_P^k = 10000 \times \frac{M_P^k - M_P}{M_P}$$

- Tracking error of the portfolio versus the benchmark is given by

$$\text{Tracking error} = \sqrt{52(\vec{S}_P - \vec{S}_B)^T \Sigma (\vec{S}_P - \vec{S}_B)}$$