Financial Engineering with FRONT ARENA Problems and solutions

Dmitrii Silvestrov Anatoliy Malyarenko

Department of Mathematics and Physics Mälardalen University

December 10, 2004/Front Capital Systems seminar



OUTLINE





3 A TYPICAL LECTURE

- The theoretical part
- Context mapping
- Valuation of caps and floors
- Exercises





A broad array of common problems from financial world can be solved through certain logic that we generally call **Financial Engineering**. Financial engineers must be able to use specialised software for solving such kind of problems.

In this lecture, we give a survey of the course MT1460 — Financial and Risk Management Software (5 points, 60 hours, D level). This course is given in the framework of the Master Programmes Analytical Finance (160–200 points) and MIMA Analytical Finance (60 points).



Aim

To give a review of existing financial and risk management software.

- ② To refresh students' knowledge about typical problems of financial engineering and their mathematical solutions.
- ③ To teach students how to solve these problems, using FRONT ARENA software.



- To give a review of existing financial and risk management software.
- ② To refresh students' knowledge about typical problems of financial engineering and their mathematical solutions.
- ③ To teach students how to solve these problems, using FRONT ARENA software.



- To give a review of existing financial and risk management software.
- ② To refresh students' knowledge about typical problems of financial engineering and their mathematical solutions.
- ③ To teach students how to solve these problems, using FRONT ARENA software.



Lectures, 3 points

Each lecture (4 hours), except the introductory one, starts with the presentation of solutions to exercises by some group of students. After the presentation all students take part in the discussion. Each student must be able to explain and discuss topics related to the presentation.

The presentation of solutions to exercises and the following discussion takes about one hour. During the next two hours the teacher will follow up the work of groups. During the last hour the teacher will present the outline of the material of the next lecture. To pass the lectures, the student must solve all exercises.



Seminar, 2 points

In seminars (4 hours each), the students are expected to apply FRONT ARENA to solving real-world financial problems that are not included to the course material.

Every group will obtain a certain part of FRONT ARENA documentation, where a typical financial problem and methods of its solutions are described. The group's report must contain a title page, abstract, contents, introduction, where the problems are formulated, solutions, conclusions, and references.



FINANCIAL AND RISK MANAGEMENT SOFTWARE: COURSE PLAN

1	24.01.05	A review of existing financial and risk management software.
2	27.01.05	Introduction to FRONT ARENA. Instruments.
3	31.01.05	Instruments with underlyings.
4	03.02.05	Interest rate models.
5	10.02.05	The LIBOR market model.
6	14.02.05	The Option Adjusted Spread model.
7	17.02.05	Credit derivatives.
	24.02.05	Seminar 1.
8	28.02.05	Repo instruments.
9	03.03.05	Desk risk management.
10	07.03.05	Consolidated risk management.
11	10.03.05	Limit management.
12	14.03.05	ARENA Data Model.
13	17.03.05	ARENA SQL.
	24.03.05	Seminar 2.
		 < □> < □> < 亘> < 亘> < 亘> < 亘 < □

The LIBOR market model: theory.



The LIBOR market model: theory.

Context mapping.



- The LIBOR market model: theory.
- Context mapping.
- Valuation of caps and floors.



- The LIBOR market model: theory.
- Context mapping.
- Valuation of caps and floors.
- Exercises.



The theoretical part

Definition of forward rates.

The mathematical description of the LIBOR market model.Cap volatility calibration.



The theoretical part

- Definition of forward rates.
- The mathematical description of the LIBOR market model.
- Cap volatility calibration.



The theoretical part

- Definition of forward rates.
- INF The mathematical description of the LIBOR market model.
- Cap volatility calibration.



DISCOUNT BONDS

DEFINITION

A contract, which gives the holder an amount 1 at some future date T, is referred to as **discount bond**. 1 is called the **notional** or **face value** and T is referred to as the **maturity date**. The price at time t of a discount bond with maturity T and face value 1 is denoted by P(t, T).



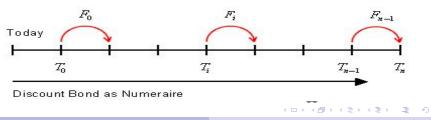
Forward rates

DEFINITION

The **simply compounded forward rate** at time *t* spanning the future period $[T_1, T_2]$, $F(t, T_1, T_2)$ is defined by

$$\frac{P(t,T_2)}{P(t,T_1)} = \frac{1}{1 + F(t,T_1,T_2)(T_2 - T_1)}.$$

The following diagram illustrates a set of forward rates spanning the set of dates $\{T_i\}$:



Dmitrii Silvestrov, Anatoliy Malyarenko Financial Engineering with FRONT ARENA

THE LIBOR MARKET MODEL: NOTATION

Let the tenor structure be $0 = T_0 < T_1 < \cdots < T_n$ and *i* an integer ranging over the resets of the rates, e.g. $1 \le i \le n$. We define $\eta(t)$ to be the unique index such that $T_{\eta(t)}$ is the next tenor date after *t*.

fi	forward/swap rate at time i
μ _i	drift term
σ _{i,k}	the component of the volatility $\sigma_i^2(t)$ of $f_i(t)$ attributable to the <i>k</i> th factor: $\sum_{k=1}^{m} \sigma_{i,k}^2(t) = \sigma_i^2(t)$.
$Z_k(t)$	Wiener processes.



THE LIBOR MARKET MODEL: THE DRIFT TERMS

The drift terms μ_i depend on the choice of numeraire and can be determined by applying the assumption of no arbitrage. Suppose we have forward rates as the underlying rates and choose $P(T_0, T_{i+1})$ as the numeraire. Then the drift terms become

$$\mu_i(t) = \sigma_i(t) \sum_{k=\eta(t)}^i \frac{\tau_i f_i(t) \sigma_k(t)}{1 + \tau_i f_i(t)}.$$



THE LIBOR MARKET MODEL: EQUATIONS

The *m*-factor model is given by the following stochastic differential equation (SDE) for the underlying rates (swap or forward):

$$\frac{df_i}{f_i} = \mu_i(f_i(t), t) dt + \sum_{k=1}^m \sigma_{i,k}(t) dz_k(t).$$

The solution of the SDE is

$$f_i(t) = f_i(0) \exp\left(\int_0^T \left(\mu_i(s) - \frac{1}{2}\sigma_i^2(s)\right) ds + \sum_{k=1}^m \int_0^T \sigma_{i,k}(s) dz_k(s)\right).$$

Dmitrii Silvestrov, Anatoliy Malyarenko Financial Engineering with FRONT ARENA

イロト イポト イヨト イヨト

CAP VOLATILITY EQUATIONS

Assume that each underlying rate $f_i(t)$ has a lognormal distribution with variance equal to $\sigma_B^2 t$, where σ_B^2 is the implied Black volatility, which can be read from the market. Then the instantaneous volatility at reset for each rate is related to the above expression in the following way:

$$\int_0^{T_i} \sigma_i^2(t) \, dt = \sigma_B^2 T_i. \tag{1}$$



CAP VOLATILITY CALIBRATION

There are infinitely many solutions to equations (1), and our goal is to pick one that fits our needs. Let $\sigma(t) = (a + bt)e^{-ct} + d$ and $\sigma_i(t) = k_i\sigma(T_i - t)$. The calibration proceeds as follows.

① Find values on the constants a, b, c, and d such that equation
(1) fit as close as possible.

② Set values of the k_i as

$$k_i = \sqrt{\frac{\sigma_B^2 T_i}{\int_0^{T_i} \sigma_i^2(t) \, dt}}.$$

CAP VOLATILITY CALIBRATION

There are infinitely many solutions to equations (1), and our goal is to pick one that fits our needs. Let $\sigma(t) = (a + bt)e^{-ct} + d$ and $\sigma_i(t) = k_i\sigma(T_i - t)$. The calibration proceeds as follows.

- ① Find values on the constants a, b, c, and d such that equation
 (1) fit as close as possible.
- ② Set values of the k_i as

$$k_i = \sqrt{\frac{\sigma_B^2 T_i}{\int_0^{T_i} \sigma_i^2(t) \, dt}}$$

イロト イポト イヨト イヨト

CONTEXT MAPPING

The list of necessary mappings.

- Example: mappings for a swaption.
- Solution parameters.



CONTEXT MAPPING

- The list of necessary mappings.
- Read Example: mappings for a swaption.
- Solution parameters.



CONTEXT MAPPING

- The list of necessary mappings.
- Read Example: mappings for a swaption.
- Solution parameters.



In order to use the LIBOR Market Model when valuing instruments the following context mappings must be performed:

- ① Map the instrument to the Core Valuation Function > LIBOR Market Model. This mapping tells FRONT ARENA to value the instrument with the LIBOR Market Model.
- ② Map the instrument to an appropriate correlation matrix. The LIBOR Market Model requires a correlation matrix as input, and this mapping makes sure it gets one.
- ③ Map the instrument to an appropriate volatility Landscape. If the instrument is a Cap/Floor it suffices to map a volatility Landscape to the rate index.
- ④ If the instrument is a Swaption, we must, in addition, map a volatility Landscape to the instrument itself.

In order to use the LIBOR Market Model when valuing instruments the following context mappings must be performed:

- ① Map the instrument to the Core Valuation Function > LIBOR Market Model. This mapping tells FRONT ARENA to value the instrument with the LIBOR Market Model.
- ② Map the instrument to an appropriate correlation matrix. The LIBOR Market Model requires a correlation matrix as input, and this mapping makes sure it gets one.
- ③ Map the instrument to an appropriate volatility Landscape. If the instrument is a Cap/Floor it suffices to map a volatility Landscape to the rate index.
- ④ If the instrument is a Swaption, we must, in addition, map a volatility Landscape to the instrument itself.

In order to use the LIBOR Market Model when valuing instruments the following context mappings must be performed:

- ① Map the instrument to the Core Valuation Function > LIBOR Market Model. This mapping tells FRONT ARENA to value the instrument with the LIBOR Market Model.
- ② Map the instrument to an appropriate correlation matrix. The LIBOR Market Model requires a correlation matrix as input, and this mapping makes sure it gets one.
- ③ Map the instrument to an appropriate volatility Landscape. If the instrument is a Cap/Floor it suffices to map a volatility Landscape to the rate index.
- ④ If the instrument is a Swaption, we must, in addition, map a volatility Landscape to the instrument itself.

In order to use the LIBOR Market Model when valuing instruments the following context mappings must be performed:

- ① Map the instrument to the Core Valuation Function > LIBOR Market Model. This mapping tells FRONT ARENA to value the instrument with the LIBOR Market Model.
- ② Map the instrument to an appropriate correlation matrix. The LIBOR Market Model requires a correlation matrix as input, and this mapping makes sure it gets one.
- ③ Map the instrument to an appropriate volatility Landscape. If the instrument is a Cap/Floor it suffices to map a volatility Landscape to the rate index.
- ④ If the instrument is a Swaption, we must, in addition, map a volatility Landscape to the instrument itself.

MAPPING FOR A SWAPTION

Consider the following swaption and underlying swap:

Option - E	UR/01/IRS/3m/2Y/Pay	er				
ile <u>V</u> iew <u>I</u>	ools Special Help					
0 📽 🛯						
Instrument-						
ID:	EUR/01/IRS/3m/2Y/Pay	er			Sugge	st
Und Ins:	EUR/IRS/2Y		•	Gwap		•
Details						
Currency:	EUR	Quote Type:	Pct of No	minal		•
Expiry:	2005-02-16 3m	Pay Type:	Spot			•
Туре:	European 💌 Payer	Contr Size:	1 000 000)		
Strike:	7 Absolute	 Properties 				
Settle Days:	2 Cash		✓ Generic			
Jewe Days.						
Jeille D'dys.						
	hear Price 💌 Und Pr	ice : Market	T			
		ice : Market	•	DeltaY	Vega	ImpVol

ID:	EUR/IRS/2Y		Sugges	t 🔽 Generic
Start:	2004-11-18 Od Yield Curve:	EUR-SWAP		
	2006-11-20 2y Pay/Receive:	Receive 💌		F0 Confirmed
Receive		Pay		
wed/Float	Fixed 💌	Fixed/Float:	Float	
Durrency:	EUR	Cuttency	EUR	7
Nominal:	1 000 000	Nominal:	1 000 000	
ixed Rate:	2,815	Fixed Rate:	0	
Float Ref:		Float Ref:	EURIBOR	6M 💌
	0	Spreadt	0	
Daycount	30/360 🔻 Dates	Daycount	Act/360	▼ Dates
Rolling:	1y 2005-04-24	Rolling:	6m	2005-04-24
	Od None 💌	Compounding	Od D	Single
Pay Offset:	Od Mod. Following 💌	Pay Offset	04	Mod. Following
- 	0	PV.	0	

Financial Engineering with FRONT ARENA

THE MAPPINGS THAT APPLY

The mappings that apply are in the **Special** > **Information** window:

Instrument: EUR/01/IRS/3m/2Y/F	ayer is using parameter(s):
Mapped Yield Curve: - Mapped in Context: - Used Yield Curve:	EUR-SWAP for forward rate estimation (mapped to instrument EURIBOR-6N (EUR)) Global EUR-SWAP
Mapped Yield Curve: - Mapped in Context: - Used Yield Curve:	EUR-SWAP for discounting (mapped to currency EUR for EUR/IRS/2Y) Global EUR-SWAP
Mapped Yield Curve: - Mapped in Context: - Used Yield Curve:	EUR-SWAP for discounting (mapped to currency EUR for EUR/01/1RS/3m/2Y/Payer) Global EUR-SWAP
Mapped Volatility: - Mapped in Context: - Framework:	EUR-Swaption-Smile (mapped to ValGroup of underlying of EUR/01/IRS/3m/2Y/Payer (EUR)) Global Elack & Scholes
Used market price: Used volatility: Used discount rate:	0 0000 28 9350 2.1022
Underlying:	EUR/IRS/2Y
Underlying forward (Curve):	2.8141
Used Core Valuation Function:	Black-Scholes
Used Risk Factor Groups: - Volatility: - FX: - Interest Rate:	EUR_Vola (EUR-Swaption-Smile) EUR_EX (EUR) EUR_Swap (EUR-SWAP)
1	2
	<u>Print</u> Close

Dmitrii Silvestrov, Anatoliy Malyarenko Financial Engineering with FRONT ARENA

The first mapping

First, open an appropriate context in **File** > **Open** of the **Context** application. In this example it is 'Global'. To add a context link select **Edit** > **Add ContextLink** as follows:

	Core Valuation Function	
Binomial Bjerksund Black-Sch Compound Finite Diffe Forward S Gentle-Vo Hazard R LIBOR M	Single Underlying -Stensland oles oles stoles stoles stoles rate Model stet Model	Bernove Close
Map to:	Instrument	
ns Type:	Option	
nstrument:	EUR/01/IRS/3m/2Y/Payer	-

イロン 不通 とうほう うほう

THE CORRELATION MATRIX

Correlations matrices are set up using the **Correlation** application, which is accessed by selecting **Data** > **Correlation** from the PRIME. The correlation matrix used by "EUR/01/IRS/3m/2Y/Payer" is illustrated in the figure below:

	Correlation						
ame: Euribor-Sm Add Element Add Type: None Element: Add Sub Type: None Bucket: Od Bemove Number Type: D Bucket: Od Bemove Column: Type: D Bucket: Od Bemove Column: Column: D Bucket: D Bucket: D Column: Column: D Bucket: D <	ile ⊻iew <u>S</u> p	ecial <u>H</u> elp					
Add Element Type: None United State State State State State State State State State State State State State State State State State State State State State State State State Sta	🗅 😅 🖬	a					
Type: None Element: Add Sub Type: None Bucket: Od Elemove Number Type Bucket: Od Elemove Number Type Bucket: Od Bucket Row: Column: Bucket: Bucket: Bucket: Bucket: Correlation Matrix Vol Type: State 12m EURIB 12m EURIB 24m EURIB 30m EURIB 36m EURIB 12m 1,000000 0,850000 0,800000 0,750000 0,750000 EURIB 12m 1,000000 0,850000 0,850000 0,650000 0,650000 EURIB 24m 1,000000 0,650000 0,650000 0,550000 0,550000 EURIB 36m 1,000000 0,650000 0,550000 0,550000 0,550000 EURIB 36m 1,000000 0,650000 0,550000 0,550000 0,550000 EURIB 36m 1,000000 0,550000 0,550000 0,550000 0,550000 EURIB 48m EURIB 48m EURIB 54m <td></td> <td>bor-6m</td> <td></td> <td></td> <td></td> <td></td> <td></td>		bor-6m					
Number Type ID Bucket Row:		one	-	Element:		-	Add
Bow: Image: Column: Image: Column: <td>Sub Type: N</td> <td>one</td> <td>-</td> <td>Bucket: 0</td> <td>9</td> <td></td> <td><u>Remove</u></td>	Sub Type: N	one	-	Bucket: 0	9		<u>Remove</u>
VolType: Y EURIB 6m EURIB 12m EURIB 12m EURIB 24m EURIB 30m EURIB 30m EURIB 12m 1,000000 0,950000 0,900000 0,850000 0,800000 0,750000 EURIB 12m 1,000000 0,850000 0,850000 0,750000 0,750000 EURIB 12m 1,000000 0,850000 0,750000 0,750000 0,750000 EURIB 24m 1,000000 0,750000 0,650000 0,550000 0,550000 EURIB 36m 1,000000 0,550000 0,550000 0,550000 0,550000 EURIB 36m 1,000000 0,550000 0,550000 0,550000 0,550000 EURIB 36m 1,000000 0,550000 0,550000 0,550000 0,550000 EURIB 48m	Row:						
EURIE Em 1,000000 0,950000 0,850000 0,800000 0,750000 EURIE 12m 1,000000 0,850000 0,750000 0,750000 0,750000 0,750000 0,750000 0,850000 0,750000 0,850000 0,750000 0,850000 0			-				
EURIE 12m 1,000000 0,850000 0,750000 0,750000 0,750000 EURIE 13m 1,000000 0,750000 0,650000 0,650000 0,650000 EURIE 24m 1,000000 0,750000 0,650000 0,50000 0,650000 EURIE 30m 1,000000 0,550000 0,550000 0,550000 0,550000 EURIE 36m 1,000000 0,550000 0,550000 0,550000 0,550000 EURIE 36m 1,000000 0,550000 1,000000 0,550000 1,000000 0,550000 EURIE 36m 1,000000 0,550000 1,000000 0,550000 1,000000 0,550000 EURIE 48m 1 1,000000 0,550000 1,000000 0,550000 1,000000 0,550000 EURIE 48m 1 1,000000 1,000000 1,000000 1,000000 1,000000 1,000000 1,000000 1,000000 1,000000 1,000000 1,000000 1,000000 1,000000 1,000000 1,000000 1,000000 1,0000000 1,0000000 1,0		EURIB 6m	EURIB 12m	EURIB 18m	EURIB 24m	EURIB 30m	EURIB 36m
EURIE 18m 1,000000 0,750000 0,250000 0,850000 EURIE 30m 1,000000 0,650000 0,650000 0,650000 EURIE 36m 1,000000 1,000000 0,650000 0,650000 EURIE 36m EURIE 42m 1,000000 0,650000 0,650000 EURIE 42m EURIE 54m 1,000000 0,650000 0,650000	EURIB 6m	1,000000	0,950000	0,900000	0,850000	0,800000	0,750000
EURIB 24m 1,000000 0,650000 0,600000 EURIB 30m 1,000000 0,550000 0,550000 EURIB 36m 1,000000 1,000000 0,550000 EURIB 48m 1 1,000000 0,550000 EURIB 48m EURIB 54m 1 1	EURIB 12m		1,000000	0,850000	0,800000	0,750000	
EURIB 30m 1,000000 0,550000 EURIB 36m 1,000000 1,000000 EURIB 42m 1 1 EURIB 42m 1 1 EURIB 42m 1 1 EURIB 54m 1 1	EURIB 18m			1,000000	0,750000	0,700000	0,650000
EURIB 36m 1,000000 EURIB 42m EURIB 45m EURIB 45m EURIB 54m EURIB 5	EURIB 24m				1,000000	0,650000	0,600000
EURIB 42m EURIB 48m EURIB 54m EURIB	EURIB 30m					1,000000	0,550000
EURIB 48m EURIB 54m	EURIB 36m						1,000000
EURIB 54m				11			
	EURIB 48m						
	EURIB 54m						10.00
			· · · · · · · · · · · · · · · · · · ·				

Financial Engineering with FRONT ARENA

The second mapping

To add this context link select **Edit** > **Add ContextLink** as the following figure shows:

Context Lin		Add
	Correlation Matrix	Update
Euribor-6n	ì	Remove
Basket CDSBask Differentia EQBaskel EUR-LIBC Euribor-Sn Euribor-Sn IndexCorr	ISwap t Correlation DR-6M n	Close
iTraxx QuantoCo Rainbowo US-Baske	orr st	
dap to:	Instrument	
ns Type:	Option	_
nstrument	EUR/01/IRS/3m/2Y/Payer	
<u>T</u> ime Sta	amps	

THE THIRD MAPPING

To enable the calibration process to take place it is necessary to map a volatility Landscape to the underlying rate index used by "EUR/01/IRS/3m/2Y/Payer", in our case "Euribor-6m". The mapping procedure is performed in the same way as for the correlation matrix mapping and the result is pictured in the following figure:

Edit View Iools Spec	tial <u>H</u> elp								
text: Global									
ontext Links									
Instrument	Group	Curr	Attr 1	Attr 2	Attr 3	Mapping Type	Parameter Name	Parameter Type	
	LMM-Cap/Floor	EUR				Val Group	EUR-CAP/FLOOR	Volatility	
EURIBOR-3M		EUR				Instrument	EUR-CAP/FLOOR	Volatility	1
EUR-LIBOR-6M		EUR	1			Instrument	EUR-CAP/FLOOR	Volatility	
	BondFuture	EUR				Val Group	EUR-FutureOption	Volatility	
	QuantoSwap	EUR				Val Group	EUR-Hull/White	Volatility	1
J EURIBOR-6M		EUR				Instrument	EUR-Swaption	Volatility	1
	Swap	EUR	1			Val Group	EUR-Swaption-Smile	Volatility	
	LMM	EUR	1			Val Group	EUR-Swaption-Smile	Volatility	1
STOXX50		EUR				Instrument	EuroSTOXX50	Volatility	1
EUR		USD	1			Instrument	FX/EUR/USD	Volatility	1
DCX		EUR				Instrument	Flat Vol	Volatility	-
1			Ċ.	- 10	10		1		

The fourth mapping

Once more, to enable the calibration to take place it is also necessary to map "EUR/01/IRS/3m/2Y/Payer" to an appropriate volatility Landscape. In this example the volatility Landscape 'EUR-Swaption' is chosen as illustrated in the following figure:

Edit View Iools Special	Hep							
ontext Links								
Instrument	Group	Curr	Attr 1	Attr 2	Attr 3	Mapping Type	Parameter Name	Parameter Type 🔺
	LMM-Cap/Floor	EUR	_			Val Group	EUR-CAP/FLOOR	Volatility
EURIBOR-3M		EUR				Instrument	EUR-CAP/FLOOR	Volatility
EUR-LIBOR-6M		EUR		-		Instrument	EUR-CAP/FLOOR	Volatility
	BondFuture	EUR				Val Group	EUR-FutureOption	Volatility
	QuantoSwap	EUR	-			Val Group	EUR-Hull/White	Volatility
EURIBOR-6M		EUR				Instrument	EUR-Swaption	Volatility
A EUR/01/IRS/3m/2Y/Payer		EUR			di	Instrument	EUR-Swaption	Volatility
	Swap	EUR	-			Val Group	EUR-Swaption-Smile	Volatility
	LMM	EUR				Val Group	EUR-Swaption-Smile	Volatility -
STOXX50		EUR				Instrument	EuroSTOXX50	Volatility
EUR		USD	-			Instrument	FX/EUR/USD	Volatility 🗸
d	- 10	2	÷.	- N	1	6		

Financial Engineering with FRONT ARENA

VALUATION PARAMETERS

Before running the LIBOR Market Model in FRONT ARENA, it is necessary to specify the number of Monte Carlo simulations and the number of factors to be used by the model. This is done in **Admin > Administration Console** application.

Dmitrii Silvestrov, Anatoliy Malyarenko Financia

Financial Engineering with FRONT ARENA

Plain vanilla caps and floors.

- Ratchet caps.
- Sticky caps.
- Momentum caps.
- Flexi caps.
- Chooser caps.



- Plain vanilla caps and floors.
- Ratchet caps.
- Sticky caps.
- Momentum caps.
- 🖙 Flexi caps
- 🖙 Chooser caps.



- Plain vanilla caps and floors.
- Ratchet caps.
- Sticky caps.
- Momentum caps.
- 🖙 Flexi caps
- Chooser caps.



- Plain vanilla caps and floors.
- Ratchet caps.
- Sticky caps.
- Momentum caps.
- Flexi caps.
- 🖙 Chooser caps.



- Plain vanilla caps and floors.
- Ratchet caps.
- Sticky caps.
- Momentum caps.
- 🖙 Flexi caps.
- 🖙 Chooser caps.



- Plain vanilla caps and floors.
- Ratchet caps.
- Sticky caps.
- Momentum caps.
- Flexi caps.
- Chooser caps.



VALUATION OF CAPS AND FLOORS

For each type of cap and floor we provide the following information.

The description of additional fields required by a certain type of a cap or a floor.



VALUATION OF CAPS AND FLOORS

For each type of cap and floor we provide the following information.

- The exact definition.
- The description of additional fields required by a certain type of a cap or a floor.



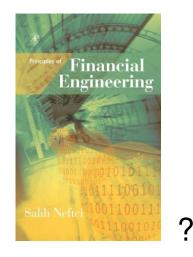
A TYPICAL EXERCISE

Calculate the theoretical price of the ratchet floor with the following parameters, using the LIBOR market model.

Currency	EUR
Strike	4
Start	2003-12-05
End	2006-12-05
Float Ref	EURIBOR-6M
Day Count	Act/360
Rolling	6m from 2006-12-05
Exclude 1st	Yes
Spread	0.5
Limit	3



Course literature



Dmitrii Silvestrov, Anatoliy Malyarenko Financial Engineering with FRONT ARENA

イロト イロト イヨト イヨト

REMARKS AND SUGGESTIONS TO FRONT ARENA

Simultaneously with preparing a course, we write a separate document containing our remarks and suggestions. It is supposed to contain three sections:

- realisation of methods of valuation different financial instruments;
- ② FRONT ARENA documentation;
- ③ the contents of the simulator's database.



REMARKS AND SUGGESTIONS TO FRONT ARENA

Simultaneously with preparing a course, we write a separate document containing our remarks and suggestions. It is supposed to contain three sections:

- realisation of methods of valuation different financial instruments;
- 2 FRONT ARENA documentation;
- ③ the contents of the simulator's database.



REMARKS AND SUGGESTIONS TO FRONT ARENA

Simultaneously with preparing a course, we write a separate document containing our remarks and suggestions. It is supposed to contain three sections:

- realisation of methods of valuation different financial instruments;
- ② FRONT ARENA documentation;
- ③ the contents of the simulator's database.

